

## **The Orthoplicial ball-packing and the ball number problem**

**Ivan Rasskin**

The ball number  $ball(L)$  of a link  $L$  is the minimum number of balls needed in a necklace to construct  $L$ . Maehara established that  $ball(\text{Hopf link}) = 8$  and gave an upper bound of  $ball(\text{trefoil})$ . By using the theory of ball-packings (based on the theory of hyperbolic Coxeter groups) developed by Boyd and Maxwell and later by Chen and Labbé, we give an upper bound of  $ball(L)$  where  $L$  is an algebraic link. Our bound is linear on the number of crossings of  $L$ . If time allows, we also briefly mention some further applications of our approach.